

*In Memoriam*

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### New Maintainer

I am Devin Jean, and I will be continuing to maintain this bibliography for the foreseeable future. If you would like to recommend a new publication be added, feel free to contact me at [devin.jean@mtsu.edu](mailto:devin.jean@mtsu.edu). I will try to stay up to date with new publications, but emails from authors would be greatly appreciated.

All references are available as bibtex: <https://github.com/dragazo/bibdom/blob/master/refs.bib>.

## SYST MES DE CONTR LE, CODES IDENTIFIANTS, LOCALISATEURS-DOMINATEURS ET DISCRIMINANTS DANS LES GRAPHS

## WATCHING SYSTEMS, IDENTIFYING, LOCATING-DOMINATING AND DISCRIMINATING CODES IN GRAPHS

April 28, 2025

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